

## Section 1.9 & 9.1-9.4 Extra Practice

Find the vertex, focus, and directrix of the parabola:

1)  $4(x+3) + (y-6)^2 = 0$

Find the vertex, focus, directrix, and graph the parabola:

State the domain & range in interval notation.

2)  $y^2 + 4y - 4x + 16 = 0$

Find the equation of the specified parabola

3) V (-2, 1) F (-2, 4)

4) F (-2, -2), directrix is  $x = 3$

Find the center, foci, vertices, eccentricity, and graph the ellipse.

State the domain & range in interval notation.

5)  $9x^2 + 4y^2 - 54x - 32y + 109 = 0$

Find the equation of the specified ellipse.

6) V ( $\pm 7$ , 0), F ( $\pm 2$ , 0)

7) V (0,  $\pm 6$ ) eccentricity is  $1/3$

Find the center, vertices, foci, equation of the asymptotes, and graph the hyperbola

State the domain & range in interval notation.

8)  $\frac{y^2}{36} - \frac{x^2}{4} = 1$

Find the equation of the specified hyperbola.

9) V (0,  $\pm 5$ ), F (0,  $\pm 9$ )

10) Find the standard form of the equation of the ellipse. Find the center, vertices, foci, and eccentricity. Sketch the ellipse.

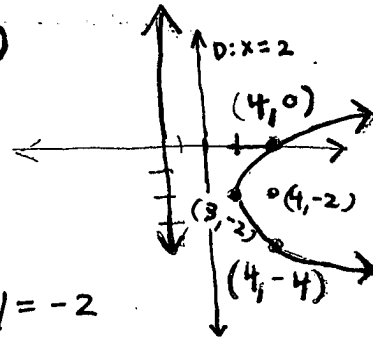
Section 1.9 & 9.1-9.4 Extra Practice ANSWERS:

1)  $(y-6)^2 = -4(x+3)$

V: (-3, 6)  
F: (-4, 6)  
X: -2

2.  $(y+2)^2 = 4(x-3)$

V: (3, -2)  
F: (4, -2)  
X: 2



AOS:  $y = -2$

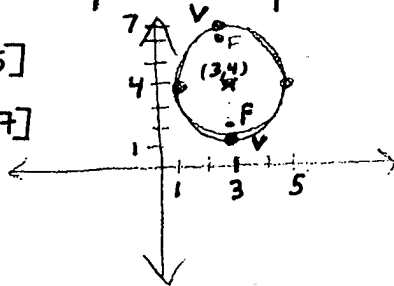
D:  $[3, \infty)$   
R:  $(-\infty, \infty)$

3)  $(x+2)^2 = 12(y-1)$

4)  $(y+2)^2 = -10(x-\frac{1}{2})$

5)  $\frac{(x-3)^2}{4} + \frac{(y-4)^2}{9} = 1$

D:  $[1, 5]$   
R:  $[1, 7]$



C: (3, 4)

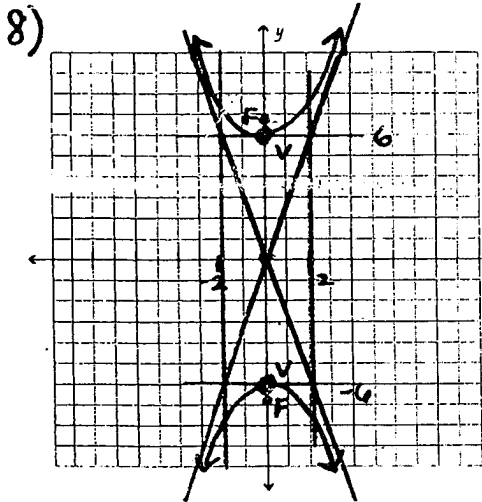
V: (3, 7), (3, 1) CV: (1, 4); (5, 4)

F:  $(3, 4 \pm \sqrt{5})$

e:  $\sqrt{5}/3$

6)  $\frac{x^2}{49} + \frac{y^2}{45} = 1$

7)  $\frac{x^2}{32} + \frac{y^2}{36} = 1$



C: (0, 0)

V: (0,  $\pm 6$ )

F: (0,  $\pm 2\sqrt{10}$ )

asymptotes:  $y = \pm 3x$

D:  $(-\infty, \infty)$

R:  $(-\infty, -6] \cup [6, \infty)$

9)  $\frac{y^2}{25} - \frac{x^2}{56} = 1$

10. (a)  $\frac{(x-1)^2}{\frac{25}{16}} + (y+1)^2 = 1$

(b) Center: (1, -1)

Vertices:  $(\frac{9}{4}, -1), (-\frac{1}{4}, -1)$

Foci:  $(\frac{7}{4}, -1), (\frac{1}{4}, -1)$

Eccentricity:  $\frac{3}{5}$

