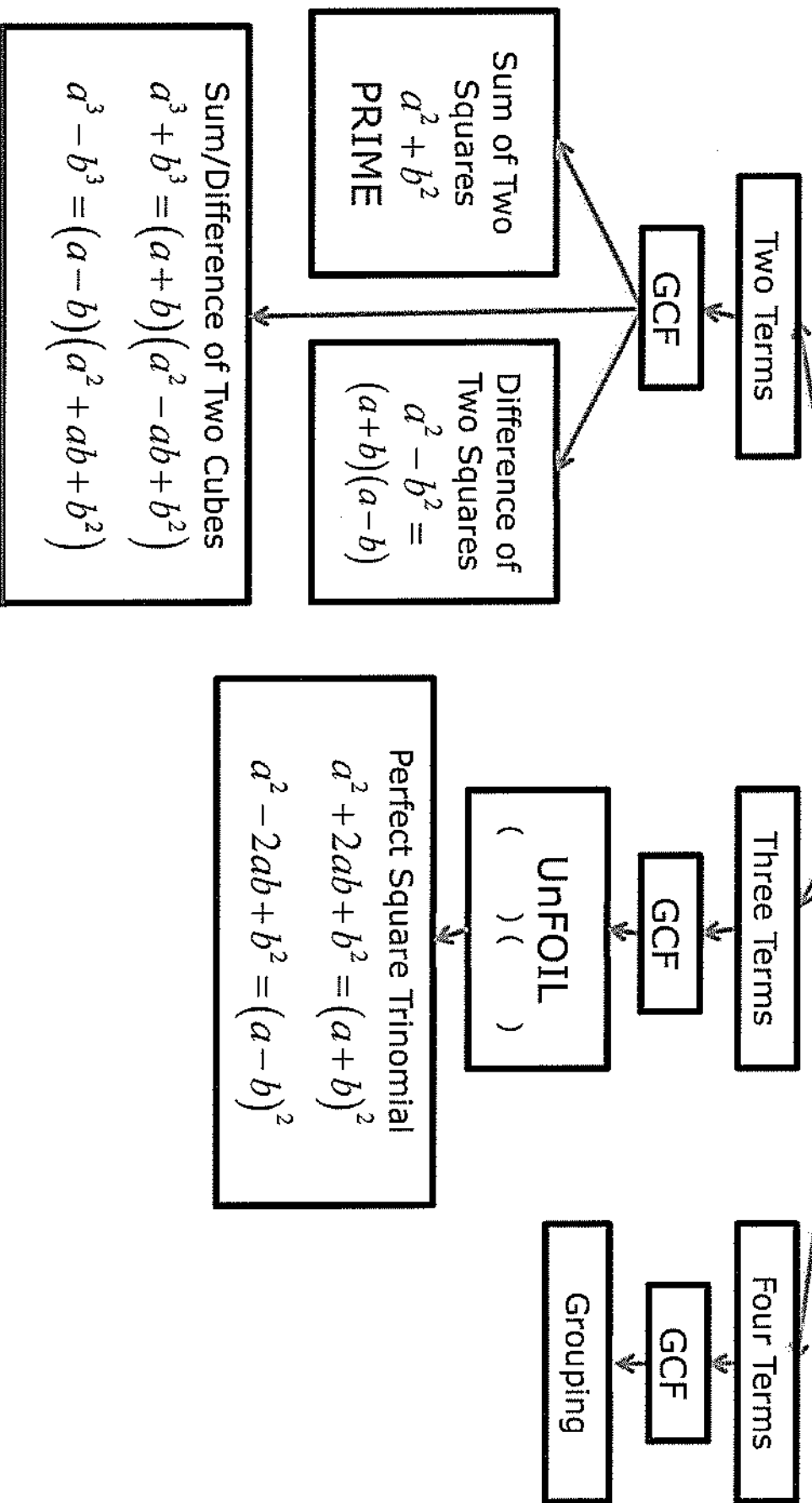


“Algebra class will be important to you later in life because there’s going to be a test six weeks from now.”

How Many Terms?



"GCF" - Greatest Common Factor
 "SOAP" - Same - Opposite - Always Positive
 Prime - Doesn't Factor

GCF - Greatest Common Factor

*ALWAYS the first kind of factoring you do!

1. Identify the GCF.
2. Divide the GCF out of every term.
"factor"

$$a) \frac{9x}{9} + \frac{36}{9}$$

2 terms

gcf ↓

$$9(x+4)$$

$$b) \frac{63}{9} + \frac{45b}{9}$$

2 terms

$$9(7+5b)$$

$$c) \frac{6n^3}{3n^3} - \frac{3n^5}{3n^3}$$

2 terms

$$3n^3(2-n^2)$$

Take out variable
the lowest exponent

Recall:

$$n^3 \cdot n^2 = n^5$$
$$(n^3)^2 = n^6$$

$$d) +6r^5 - \frac{1}{19}r^4$$

leads

$$+6r^4 + 6r^4$$

$$\left[-6r^4(r+1) \right]$$

Factor out negative

must include

$$e) 63x^{12} - \frac{35x^6}{7x^6}$$

$$7x^6(9x^6 - 5)$$

$$f) \frac{14a}{7a} + \frac{21a^2}{7a} + \frac{21a^3}{7a}$$

3 terms

$$7a(2 + 3a + 3a^2)$$

$$b) \frac{10n^3}{n} - \frac{9n^2}{n} + \frac{n}{n}$$

3 terms

$$n(10n^2 - 9n + 1)$$

must include

$$h) \frac{-28v^2}{-4} - \frac{8v}{-4} - \frac{36}{-4}$$

Change all signs

Factor out negative

$$-4(7v^2 + 2v + 9)$$

$$i) \frac{-8x^7}{-4x^5} + \frac{24x^6}{-4x^5} + \frac{12x^5}{-4x^5}$$

$$-4x^5(2x^2 - 6x - 3)$$

Two Terms

Sum/Difference of Squares

$$a^2 + b^2 = \boxed{\text{Prime}}$$

"Does not factor."

Sum ↗

$$a^2 - b^2 = \boxed{(a+b)(a-b)}$$

• opposite signs causes the middle term to cancel

(Difference of Squares) "DOS"
Fail to check:

$$a^2 + ab - ab - b^2$$

$$a^2 - b^2$$

ex: Factor completely.

$$a) x^2 - 49 = \boxed{(x+7)(x-7)}$$

DOS

no gcf

$$7^2 = 49$$

$$b) x^2 - 16 = \boxed{(x+4)(x-4)}$$

DOS

no gcf

$$4^2 = 16$$

no gcf:

$$c) x^2 + 1 = \boxed{\text{Prime}}$$

Sum

of
Squares

$$1^2 = 1$$

no gcf:

$$d) 4y^2 - 1 = \boxed{(2y+1)(2y-1)}$$

Does

$$2^2 = 4$$

$$1^2 = 1$$

$$e) \frac{2x^2}{2} - \frac{50}{2} = 2(x^2 - 25)$$

gcf: 2

Does

$$= \boxed{2(x+5)(x-5)}$$

$$f) \frac{x^2}{x} - \frac{9x}{x} = \boxed{x(x-9)}$$

gcf: x

not squared,
can't factor further.

$$g) 144 - x^2 = \boxed{(12+x)(12-x)}$$

no gcf

DOS

$$12^2 = 144$$



not the same

as ~~$(x+12)(x-12)$~~

$$= x^2 - 144$$

no gcf:

$$h) x^4 - 81$$

DOS

$$= (x^2+9)(x^2-9)$$

Prime

DOS
again!

$$= \boxed{(x^2+9)(x+3)(x-3)}$$

Study
with
me!

$$x^4 = x^2 \cdot x^2$$

$$9^2 = 81$$

Four Terms "Grouping"

ex: Factor completely. GCF 1st !!!

no gcf for all 4 terms

$$a) \frac{12x^3}{2x^2} + \frac{2x^2}{2x^2} - \frac{30x}{-5} - \frac{5}{-5}$$

$$2x^2 \underset{\text{gcf}}{(6x+1)} - \underset{\text{gcf}}{5(6x+1)}$$

$$(6x+1)(2x^2-5)$$

Write
this
one once.

no gcf for all 4 terms

$$b) \frac{x^3}{x^2} + \frac{x^2}{x^2} + \frac{4x}{4} + \frac{4}{4}$$

$$x^2(x+1) + 4(x+1)$$

$$(x+1)(x^2+4)$$

Prime (sum of squares)

no gcf for all 4 terms

$$c) \frac{9x^3}{9x^2} - \frac{9x^2}{9x^2} - \frac{4x}{-4} + \frac{4}{-4}$$

$$9x^2(x-1) - 4(x-1)$$

$$(x-1)(9x^2-4)$$

Dos

Study this one!

$$(x-1)(3x+2)(3x-2)$$

no gcf for all 4 terms

$$d) \frac{8x^3}{8x^2} - \frac{64x^2}{8x^2} + x - 8$$

$$8x^2(x-8) + 1(x-8)$$

needed

$$(x-8)(8x^2+1)$$

must have

Study this one!